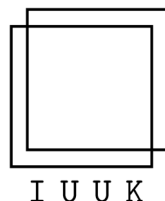
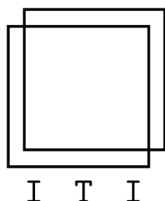


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2025-689

Andrew Goodall, Jaroslav Nešetřil

The Making of a New Science

the early history of theoretical computer science

Institute for Theoretical
Computer Science (ITI)
Charles University

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The Making of a New Science

the early history of
theoretical computer science

GALLERIA
CHODBA

Exhibition 18 June – 21 September 2025
at Galleria Chodba,
MFF UK, Malostranské náměstí 2/25, Praha I

Andrew Goodall and Jaroslav Nešetřil

We could perceive that a new science was being born, arising from the roots of mathematical logic and projecting its light on the future of computers and computer programming.

— Giorgio Ausiello, *The Making of a New Science*

Exhibition guide

It is very rare that one can make an exhibition tracing the entire history of an established scientific discipline. Theoretical Computer Science (TCS for short) – which only emerged in the 1970s as a recognized field per se out of its origins in logic, mathematics and engineering – has developed and matured so quickly that this is possible; or, better, we can at least try to present the history of the field in a concise and yet uncrowded way.

TCS (or the Theory of Computing, Computability Theory, or even Algorithms and Complexity, to give just a few of the several names that are used to refer to the discipline) develops the abstract concepts and mathematical models that underpin computation, with a particular focus on the design, analysis, and efficiency of algorithms. It has developed in the last few decades from humble origins into a field which is taught at most universities worldwide, and which spans a large part of technological development today. One can say even more: perhaps nowhere in contemporary

science is there such a direct line from theory to development and then to praxis and its consequent impact on everyday life. Our aim here can only be to sketch parts of this evolution of TCS. We concentrate on the early origins in the 1920s to c. 1990 (with occasional glimpses beyond); we thereby also limit our scope by concentrating on the theory that established itself in the twentieth century, omitting some trends which have proved to be very active more recently. This is more concretely described below.

We are fortunate that we can build our exhibition around two earlier instances. One is the excellent book *The Making of a New Science* (Springer 2023) by Giorgio Ausiello. This book, by one of the pioneering leaders and organizers of the development of TCS in Europe, is both a factual report of the history of TCS until 1980 and a memoir replete with personal details, making it fascinating reading for non-specialists and specialists alike. Prof. Ausiello put us in contact with the people behind our second source, the exhibition *50 Years of Theoretical Computer Science* shown at the ICALP '22 conference in Paris. We

thank Sandrine Cadet and Sylvain Schmitz, organizers of this exhibition, for allowing us to use and modify their material.

Here we give a panel-by-panel overview of our exhibition. The first panel (bearing the title of the exhibition, **The Making of a New Science**) pays tribute to Prof. Giorgio Ausiello, featuring a brief quotation from his book along with quotes from other recognized computer scientists, and two of Vera Molnár's digital plotter drawings (from the series *Letters from my mother*).

The second panel (**On the shoulders of giants**) picks out some of the major milestones and key figures in the theory of computation. This of course goes back to star mathematicians (and scientists) of the early twentieth century (we omitted traces of the field to be found in previous centuries). This earlier history is recorded in the reels of black-and-white "film" while more recent names are recorded in the array of colour "polaroids". The panel is complemented by a list of awardees of the Nevanlinna-Abacus medal of

the International Mathematical Union (established in 1982 and given at the International Congress of Mathematicians ever since).

The next panel **Pioneers in TCS** continues the focus on key figures of the field, featuring a spotlight on Maurice Nivat (transferred directly from the Paris exhibition *50 Years of Theoretical Computer Science*), whose individual story has counterparts for each and every one of the notable figures in TCS listed in the remainder of the panel. These lists give in chronological order all the winners of four major annual international prizes: the A. M. Turing Award, Gödel Prize, EATCS Award and Donald E. Knuth Prize. Seeing these lists, one gets a better feeling of how the development of TCS has been a product of collective endeavour by a remarkable and numerous set of individuals.

Brussels, 1972 reworks a panel from the Paris exhibition *50 Years of Theoretical Computer Science*, supplementing it by facsimiles of key documents reproduced in the appendix to

Ausiello's *The Making a New Science*. Described are the key events leading to the creation of the European Association of Theoretical Computer Science (EATCS), highlighting the role played by Maurice Nivat and others in bringing it to fruition.

The foundation of new institutions led to the creation of a new type of conference, one with refereed contributions selected by a programme committee. Such conferences became the dominant medium for scientific communication in TCS, and a (non-exhaustive) selection of the most long-running, active and prestigious are displayed in the panel **Early conferences in TCS**. The penultimate panel of the exhibition (see below) features an editorial by Moshe Vardi discussing the role of conferences in computer science, which is very different from mathematics.

The next five panels are devoted to particular areas of TCS in their early development. The choice of topics is of course rather arbitrary as current TCS is a very broad field. But on the history there is a consensus. We included

material from the Paris panels on computational complexity, logic and complexity, automata and a schematic overview of algorithms that have shaped the world; on the other hand, we left out the Paris material on zero-knowledge proofs, fine-grained complexity, model checking, the science of programming, machine-checked proofs, and quantum computing. We are limited to thirteen panels and some of these topics will be treated in a follow-up exhibition.

With these constraints, our panels are **Automata theory**, describing the development of this area from Alan Turing on; **Computational complexity (I)**, describing the birth of complexity classes and “complexity” as we know it today; **Computational complexity (II)**, describing the influence of logic and the logical side of TCS; and **Algorithms (I)**, representing some of the plethora of beautiful algorithms from which the theory of algorithms has evolved. These four panels are adapted from the Paris panels, to which we have added photographs of some of the key figures involved. Additionally, in the Algorithms (I) panel we

highlighted seven major algorithms from those “shaping the world”, while, in the Automata theory panel we included diagrams illustrating the evolution of a pair of elementary cellular automata (rules 30 and 110).

The next two panels are the only panels devoted to specific problems. **Algorithms (II)** treats a topic dear to all Czech mathematicians and computer scientists as it describes the role of Borůvka and Jarník in the development of the minimum spanning tree algorithm (as well as the Steiner tree algorithm). The panel **Advanced graph theory in TCS** describes the story of expanders – another TCS saga. Expanders represent a key structure in the theory of algorithms and their construction involves beautiful and difficult mathematics.

The last two panels document some of the bewilderingly extensive activity in TCS. The panel **Publishing research** includes material from the Paris exhibition panel focusing on ICALP publications, to which we have added a discussion

about the distinctive practice of theoretical computer of using conferences and their proceedings as the primary mode of communication rather than journals: we reproduce an editorial by Moshe Vardi in *Communications of the ACM*, concerning a still very current topic of debate. The final panel **Selected textbooks in TCS, 1966-1999** gives a panorama of various twentieth century textbooks, both basic and advanced, many appearing in new editions to the present day, and all of them influential in directing the course of TCS as it entered the twenty-first century.

We expect that many of our viewers may have remarks or questions related to this exhibition: please send them to our address galleriachodba@iuuk.mff.cuni.cz

Acknowledgments

We thank Giorgio Ausiello for alerting us to the exhibition *50 Years of Theoretical Computer Science* shown at the ICALP '22 conference in Paris and for putting us in touch with its coordinators, Sandrine Cadet and Sylvain Schmitz, who generously allowed us to use their material as a basis for our own exhibition. We are grateful to the School of Computer Science of the Faculty of Mathematics and Physics for supporting Galleria Chodba as well as the UNCE project 'Language, image, gesture: forms of discursivity' (a joint project with the Faculty of Arts, Charles University).

Andrew Goodall, Jarik Nešetřil
Curators, Galleria Chodba

Catalogue

As students, through Corrado's lectures, we could perceive that a new science was being born, arising from the roots of mathematical logic and projecting its light on the future of computers and computer programming — Giorgio Ausiello

In the 1980s, we the theoreticians owned the field of computer science in the sense that we knew how compilers should be designed, how operating systems should work, how databases should be organized for efficient access. Our responsibility and main mission was to outfit all areas of computer science with rigor and the power of mathematics. In a sense, we were exercising complete intellectual hegemony over the rest of computer science. We knew it. Then the internet happened. — Christos Papadimitriou

The Making of a New Science

The best practice is inspired by theory.
— Donald Knuth

... Computer science is no more about computers than astronomy is about telescopes. There was this realization: a new science is emerging. The name may not be well chosen, but it is a new science. — Jacques Arsac

A theoretical computer scientist will have the same aim as any other computer scientist: namely to understand, analyse and hopefully clarify the fascinating concept of computation. The theoretical computer scientist distinguishes himself by his choice of the ways to achieve such an understanding and clarification — the choice being, after proper models have been formalized, to prove theorems that are meaningful. With the mathematician and logician, the theoretical computer scientist has in common the knowledge that sometimes the solution to a problem has to be obtained at some distance from the problem itself, and that an extensive knowledge of the relevant objects and concepts has to be developed before any major question can be answered. — Maurice Nivat

We are fortunate to have been helped by two sources in putting together this exhibition on the history of theoretical computer science in the twentieth century. The first is Giorgio Ausiello's excellent *The Making of a New Science* (Springer 2018). This book — a memoir of one of the pioneering leaders and organizers in the development of theoretical computer science — gives a factual account of the burgeoning new science in Italy, Europe, and the US. A history filled with personal recollections by one of the key eyewitnesses, and fascinating reading for outsiders. The second source is thanks again to Prof. Ausiello, who put us in contact with the coordinators of the exhibition *50 Years of Theoretical Computer Science* at ICALP'22 on July 6–8, 2022 at Université Paris Cité, devised for the occasion of the 50th anniversary of the ICALP conference and the creation of EATCS.



Giorgio Ausiello and Janik Nešetřil

On the shoulders of giants

Episodes in the development of TCS

1900

David Hilbert's 23 Mathematical Problems. In the 2nd Hilbert called for a mathematical proof of the consistency of the axioms for arithmetic.

1907, 1912

Leonardo Torres Quevedo

introduces a formal language for the description of mechanical drawings; builds the first decision-making automaton – a chess-playing machine.

1931

Kurt Gödel's incompleteness theorem - inherent limitations to formal systems and what can be proved within them.

Emil Post develops, independently of Turing, a mathematical model of computation. Post's rewrite technique is widely used in programming language specification and design.

1936

Alonzo Church proves undecidability of arithmetic using lambda-calculus.

1950

Boris Trakhtenbrot 'The impossibility of an algorithm for the decidability problem on finite classes.' In 1964, proves the Gap Theorem – there are arbitrarily large computable gaps in the hierarchy of complexity classes.

1956

Edward McCluskey develops the first algorithm for designing combinational circuits – the Quine-McCluskey logic minimization procedure.

1959

Arthur Samuel proves that machines can learn from past errors.

1960

While studying machine translation of languages in Moscow, **Tony Hoare** develops Quicksort.

1965

John Tukey and **James Cooley** 'An algorithm for the machine calculation of complex Fourier series'

1969

Donald Knuth, *The Art of Computer Programming*.

1969

Marvin Minsky and **Seymour Papert** *Perceptrons*, cause of a long-standing controversy in the study of artificial intelligence.

1936

Alan Turing in 'On computable numbers' introduces the Turing machine, providing a foundational framework for understanding the limits and possibilities of computation.

1943

Warren McCulloch and **Walter Pitts** describe a simplified neural network architecture for intelligence.

1944

John von Neumann, *Theory of Games and Economic Behavior*, written with Oskar Morgenstern (in 1928 he had instigated the theory of games, proving the minimax theorem). 1945 Merge sort; von Neumann architecture. 1950s Time complexity of computation. 1952 2-D cellular automata.

1948

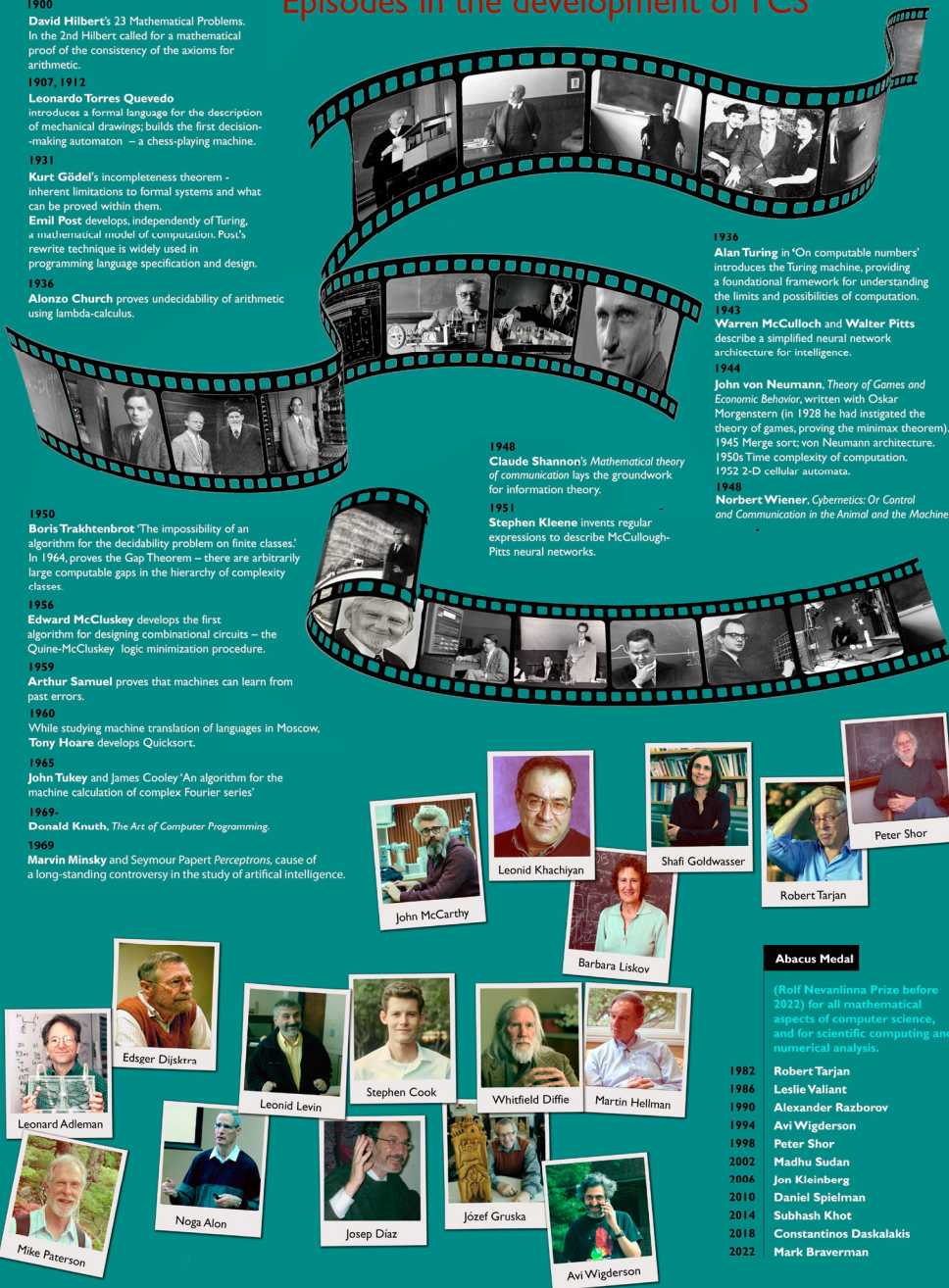
Norbert Wiener, *Cybernetics: Or Control and Communication in the Animal and the Machine*

1948

Claude Shannon's Mathematical theory of communication lays the groundwork for information theory.

1951

Stephen Kleene invents regular expressions to describe McCulloch-Pitts neural networks.



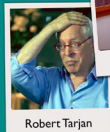
John McCarthy



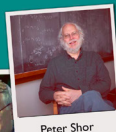
Leonid Khachiyan



Shafi Goldwasser



Robert Tarjan



Peter Shor



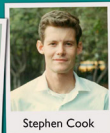
Barbara Liskov



Edsger Dijkstra



Leonid Levin



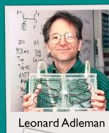
Stephen Cook



Whitfield Diffie



Martin Hellman



Leonard Adleman



Noga Alon



Josep Diaz



Józef Gruska



Avi Wigderson

Abacus Medal

(Rolf Nevanlinna Prize before 2022) for all mathematical aspects of computer science, and for scientific computing and numerical analysis.

1982 Robert Tarjan

1986 Leslie Valiant

1990 Alexander Razborov

1994 Avi Wigderson

1998 Peter Shor

2002 Madhu Sudan

2006 Jon Kleinberg

2010 Daniel Spielman

2014 Subhash Khot

2018 Constantinos Daskalakis

2022 Mark Braverman

Pioneers in TCS

Turing and EATCS Awards, Gödel and Knuth Prizes

Turing Award

for contributions of lasting and major technical importance to computer science.

1966 Alan Perlis
1967 Maurice Wilkes
1968 Richard Hamming
1969 Marvin Minsky
1970 James (Jim) Hardy Wilkinson
1971 John McCarthy
1972 Edsger Dijkstra
1973 Charles Bachman
1974 Donald Knuth
1975 Allen Newell, Herbert Simon
1976 Michael Rabin, Dana Scott
1977 John Backus
1978 Robert Floyd
1979 Kenneth Iverson
1980 C.A.R. Hoare
1981 Edgar Codd
1982 Stephen Cook
1983 Dennis Ritchie
1984 Niklaus Wirth
1985 Richard Karp
1986 John Hopcroft
1987 John Cocke
1988 Ivan Sutherland
1989 William Kahan
1990 Fernando Corbato
1991 Robin Milner
1992 Butler Lampson
1993 Juris Hartmanis
1994 Edward Feigenbaum, Raj Reddy
1995 Manuel Blum
1996 Amir Pnueli
1997 Douglas Engelbart
1998 Jim Gray
1999 Frederick Brooks
2000 Andrew Chi-Chih Yao
2001 Ole-Johan Dahl, Kristen Nygaard
2002 Leonard Adleman, Ronald Rivest, Adi Shamir
2003 Alan Kay
2004 Vinton Cerf, Robert Kahn
2005 Peter Naur
2006 Frances Allen
2007 Edmund Clarke, Joseph Sifakis
2008 Barbara Liskov
2009 Charles Thacker
2010 Leslie Valiant
2011 Judea Pearl
2012 Shafi Goldwasser, Silvio Micali
2013 Leslie Lamport
2014 Michael Stonebraker
2015 Whitfield Diffie, Martin Hellman
2016 Tim Berners-Lee
2017 John Hennessy, David Patterson
2018 Yoshua Bengio, Geoffrey Hinton, Yann LeCun
2019 Edwin Catmull, Patrick Hanrahan
2020 Alfred Aho, Jeffrey David Ullman
2021 Jack Dongarra
2022 Robert Melancton Metcalfe
2023 Avi Wigderson
2024 Andrew Barto, Richard Sutton



Maurice Nivat



Nivat (right) with siblings and grandmother



Decoration by Minister of Research, Hubert Curien, 2002



Nivat, april 20



Nivat with Schützenberger at ICALP'72

Gödel Prize

for outstanding papers in the area of theoretical computer science

L. Babai, S. Moran, S. Goldwasser, S. Micali, C. Rackoff
Johan Håstad
Neil Immerman, Róbert Szelepcsényi
Mark Jerrum, Alistair Sinclair
Joseph Halpern, Yoram Moses
Seinosuke Toda
Peter W. Shor
Moshe Y. Vardi, Pierre Wolper
S. Arora, U. Feige, S. Goldwasser, C. Lund, L. Lovász, R. Potwani, S. Saluja, M. Sudan, M. Szegedy
Géraud Sénizergues
Yoav Freund, Robert Schapire
M. Herlihy, N. Shavit, M. Saks, F. Zaharoglou
Noga Alon, Yossi Matias, Mario Szegedy
Manindra Agrawal, Neeraj Kayal, Nitin Saxena
Alexander A. Razborov, Steven Rudich
Daniel A. Spielman, Shang-Hua Teng
Ormer Reingold, Salil Vadhan, Avi Wigderson
Sanjeev Arora, Joseph S.B. Mitchell
Johan T. Håstad
E. Koutsoupias, C. Papadimitriou, T. Roughgarden, E. Tardos, N. Nisan, A. Ronen
Antoine Joux, Dan Boneh, Matthew K. Franklin
Ronald Fagin, Amnon Lotem, Moni Naor
Daniel A. Spielman, Shang-Hua Teng
S. Brookes, P.W. O'Hearn
C. Dwork, F. McSherry, K. Nissim, A. Smith
Oded Regev
Irit Dinur
Robin A. Moser, Gábor Tardos
A. Bulatov, M. Dyer, D. Richeby, J.-Y. Cai, X. Chen
Z. Brakerski, C. Gentry, V. Vaikuntanathan
S. Fiorini, S. Massar, S. Pokutta, H. R. Tiwary, R. de Wolf, T. Rothvoss
Ryan Williams
Eshan Chattopadhyay, David Zuckerman

Maurice Nivat

As a mathematician, Nivat applied rigorous algebraic approaches to numerous domains, from formal languages to program semantics, from concurrent processes to discrete geometry. As a scientific leader, he undertook with incredible energy the mission of promoting study and research in the theory of computing.

Early years

1937 Born in Clermont-Ferrand, France.
1956 Enters *École Normale Supérieure*. His broad-mindedness and originality flourish, and he is the leader of a group of merry fellows which calls itself "Præsidium du Bored Suprême"; he gets married and has his first son while still at ENS.
1959 Begins work at Institut Blaise Pascal and gets acquainted with computers and programming languages.
1969 Becomes professor at Université de Paris.

Founding the EATCS

1971 With Louis Nolin and Marcel-Paul Schützenberger, presents a "charter" of theoretical computer science, called *Rapport préliminaire sur l'Informatique Théorique*; proposes to establish a collaboration with the main European universities and research centres.
1972 Organizes the first International Colloquium on Automata, Languages and Programming (ICALP). He and Alfonso Caracciolo organize the Brussels meeting where the creation of the EATCS is approved.
1973 Elected President of EATCS and edits the first *Bulletin of the EATCS*; founds the *Journal Theoretical Computer Science*.



EATCS Award

In recognition of a distinguished career in theoretical computer science

Richard Karp
Corrado Böhm
Maurice Nivat
Grzegorz Rozenberg
Arto Salomaa
Robin Milner
Mike Paterson
Dana S. Scott
Leslie G. Valiant
Gérard Huet
Kurt Mehlhorn
Boris (Boaz) Trakhtenbrot
Moshe Y. Vardi
Martin Dyer
Gordon Plotkin
Christos Papadimitriou
Dexter Kozen
Éva Tardos
Noam Nisan
Thomas Henzinger
Mihalis Yannakakis
Toniann (Toni) Pitassi
Patrick Cousot
Amos Fiat
Samson Abramsky
Rajeev Alur

Knuth Prize

for outstanding contributions to the foundations of computer science.

Andrew Yao
Leslie Valiant
László Lovász
Jeffrey Ullman
Christos Papadimitriou
David Johnson
Ravi Kannan
Leonid Levin
Gary Miller
Richard Lipton
László Babai
Noam Nisan
Oded Goldreich
Johan Håstad
Avi Wigderson
Cynthia Dwork
Moshe Vardi
Noga Alon
Éva Tardos
Rajeev Alur
Micha Sharir

Early conferences in TCS

Symposium on Foundations of Computer Science (FOCS)

1960 Chicago, IL, United States

1969

Symposium on Theory of Computing (STOC)

1969

International Colloquium on Automata, Languages, and Programming (ICALP)

1972

International Symposium on Mathematical Foundations of Computer Science (MFCS)

1972

International Workshop on Graph-Theoretic Concepts in Computer Science (WG)

1975

International Symposia on Fundamentals of Computation Theory (FCT)

1977

Symposium on Theoretical Aspects of Computer Science (STACS)

1984

Symposium on Logic in Computer Science (LICS)

1986

Computational Complexity Conference (CCC)

1986

Symposium on Discrete Algorithms (SODA)

1990

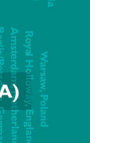
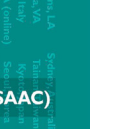
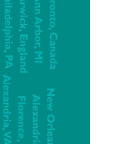
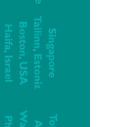
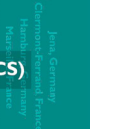
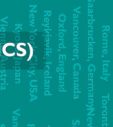
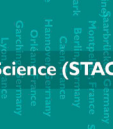
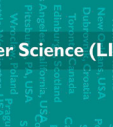
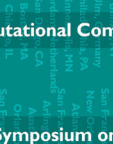
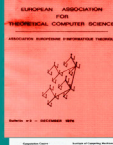
Intern'l Symposium on Algorithms and Computation (ISAAC)

1990

Annual European Symposium on Algorithms (ESA)

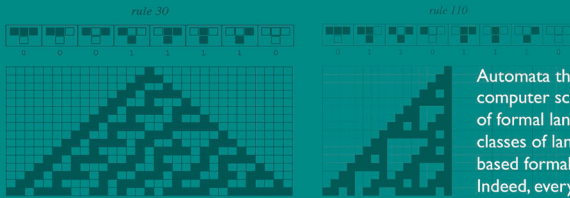
1993

Across computer sciences – In both Theoretical Computer Science and Software Engineering – the tradition became established to submit new results to conferences in the form of an extended abstract. This is evaluated by the Programme Committee, often by a single or double blind review process. Accepted papers are then delivered at the conference itself, and subsequently published in the conference proceedings. Conferences are now ranked (A*,A,B,C) and acceptance of a paper in a top-ranked conference is considered very prestigious, comparable to appearing in a top mathematical journal. On the other hand, this practice of preferring conferences to journals is very different from mathematics and other academic fields. This discrepancy is discussed e.g. in M.Vardi (2009) 'Conferences vs. journals in computing research' Communications of the ACM 52.5.



Automata theory

Abstract machines and their computational power



Automata theory concerns abstract computing devices and their computational power. It emerged from Turing's study of the power of general-purpose computation and from Kleene's formalization of an earlier proposal by McCulloch and Pitts, the latter motivated by the study of networks of neurons.

Automata theory permeates computer science. Initially their study was motivated by, and has an immediate application in, fields such as computer design, compilation of programming languages, and search and pattern matching. Their use then spread across the whole field.

Automata theory uses increasingly sophisticated mathematical techniques to study the power of abstract computational devices. It has close connections with classic and novel fields of mathematics such as group theory and the theory of algebraic structures, logic, (finite) model theory, number theory, (automatic) real function theory, symbolic dynamics, and topology.



John Horton Conway



Michael O. Rabin



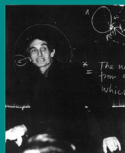
John von Neumann



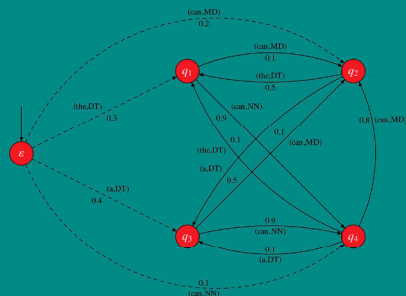
Noam Chomsky



Dana Scott



Marcel-Paul Schützenberger



A weighted word automaton for part-of-speech tagging in English

Automata theory is one of the oldest research areas in computer science. Historically, it developed with the theory of formal languages, since automata were classified by classes of languages they can recognize. Today, automata-based formalisms are widely applied in modern computing. Indeed, every computing device has "automata inside"!

Selected key milestones in automata theory



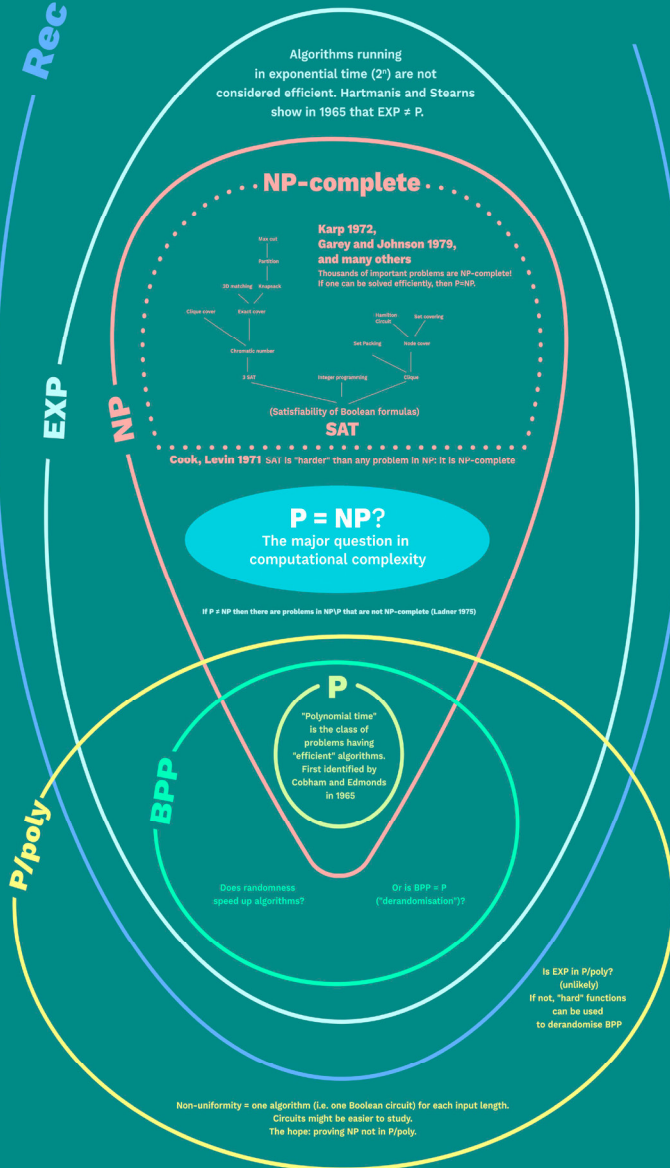
Alan Turing

- 1936 A. Turing:** Turing machines
- 1943 W. McCulloch, W. Pitts:**
Nerve nets as finite automata
- 1948 J. von Neumann:**
The general and logical theory of automata
- 1951 S.C. Kleene:**
Regular expressions, Kleene's Theorem
- 1955 M.P. Schützenberger:**
Algebraic theory of automata: Syntactic semigroups and variable-length codes
- 1956 E.F. Moore:**
Minimal automata
- 1957 J. Myhill:**
Non-deterministic automata and determinisation.
- 1958 A. Nerode:**
Nerode equivalence
J.R. Büchi, C.C. Elgot, B.A. Trakhtenbrot:
Finite automata and monadic second-order logic (MSO)
- 1959 M.O. Rabin, D. Scott:**
Finite automata and their decision problems
- 1963 N. Chomsky, M.P. Schützenberger:**
Context-free languages and pushdown automata
- 1965 M.P. Schützenberger:**
Star-free expressions and group-free monoids
K. Krohn and J. Rhodes:
Decomposition of automata
- 1969 M.O. Rabin:**
Automata on infinite trees and MSO
- 1982 Y. Gurevich, L. Harrington:**
Trees, automata and games
W. Thomas:
Classifying regular events in symbolic logic
- 1988 N. Immerman, R. Szelepcsényi:**
Complementation of linear bounded automata
K. Hashiguchi:
Solution of the restricted star-height problem

Computational complexity (I)

Classifying problems by hardness

In the 1930s, Church, Turing and others proposed the "right" notion of algorithm and studied what is recursive, i.e. what can be solved by all computers. Later, with the first computers, the efficiency of algorithms became crucial. Computational complexity was born.



Richard Karp



Leonard Levin



Stephen Cook



Leslie Valiant

Rec
problems that can be solved by computers

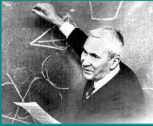
EXP
Exponential time

NP
Nondeterministic Polynomial time: solutions can be verified efficiently

BPP
Bounded-error Probabilistic Polynomial time

Computational complexity (II)

A perfect match with logic



Andrey Kolmogorov



Rosalind Peter

The unity of logic and computation has manifested itself in the development of computability theory from the 1930s onward, and the development of computational complexity from the 1960s onward. Computability theory delineates the boundary between decidability and undecidability; computational complexity that between tractability and intractability. Logic provides prototypical complete problems for complexity classes and led to descriptive complexity, a framework for characterizing complexity classes using logical resources.

Complete problems

1936

Church-Turing Theorem

First-Order Validity is computably enumerable (c.e.)-complete.

1949

Trakhtenbrot's Theorem

First-Order Finite Satisfiability is computably enumerable (c.e.)-complete.

1971

Cook-Levin Theorem

SAT is NP-complete.

Descriptive complexity

1976

Fagin's Theorem

NP = ESO. In words, a decision problem Q is in NP if and only if Q is expressible in existential second-order logic ESO.

"machine-free characterisation of NP with no mention of polynomial"

Example: SAT is definable by the ESO-formula

$\exists S \forall c \exists v ((P(c, v) \wedge S(v)) \vee (N(c, v) \wedge \neg S(v)))$

1982

Immerman-Vardi Theorem

P = FO + LFP on classes of ordered finite structures.

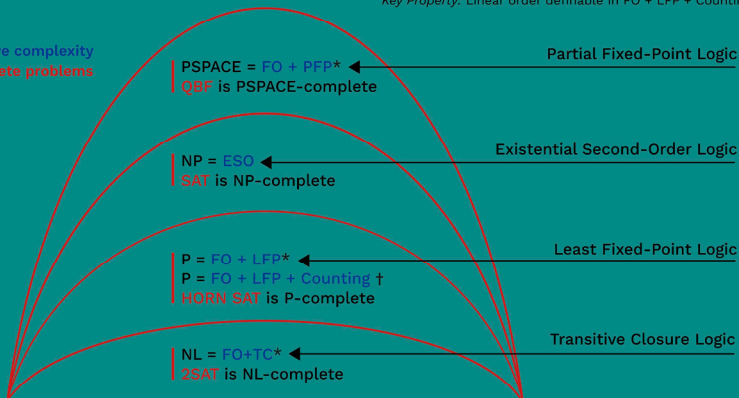
2010

Grohe's Theorem

If **C** is a class of graphs with at least one excluded minor, then on **C**
P = FO + LFP + Counting.

Key Property: Linear order definable in FO + LFP + Counting on **C**.

Descriptive complexity
and complete problems



*on classes of ordered finite structures

† on classes of finite structures excluding at least one minor

Long-standing Open Problem
in Descriptive Complexity
[Chandra & Harel (1982) – Gurevich (1988)]

Is there a logic for P
on the class
of all finite structures?



Neil Immerman



Ronald Fagin



Martin Grohe



Moshe Vardi

Algorithms (I)

Shaping the world

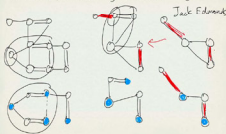
dynamic

Distributed Hash Tables
The boosting algorithm
in machine learning
(due to Schapire)

Weighted Fair Queuing
Metropolis Algorithm
Ford-Fulkerson Max-Flow, Edmonds-Karp

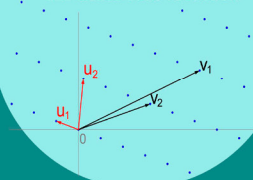
Jack Edmonds
maximum matchings

$G=(V,E)$, M a matching, T an augmenting tree

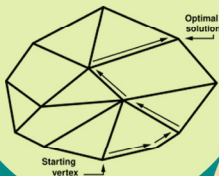


**Arjen Lenstra,
Henrik Lenstra,
László Lovász**

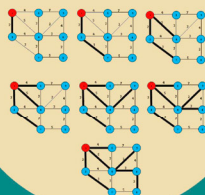
LLL lattice basis reduction



George Dantzig
simplex method



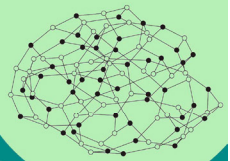
Edsger Dijkstra
shortest path



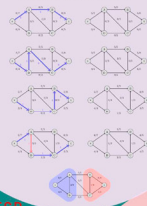
Algorithms are the heart of computing systems. They are not usually visible to the user, but they keep the systems going and provide functionality and speed. Without algorithms there would be no systems. Not surprisingly, every computer scientist is taught algorithms. The design and analysis of algorithms is a subject of intellectual depth and beauty with a wide-ranging impact on the real world.

quantum computing
Linear Programming
Interior Point, Simplex
Cuts, Frank-Wolfe algorithm (locally theoretically)
Simulated Annealing
Shor's factoring algorithm
rankings
Brozowski DFA minimisation algorithm
bellar propagation (Lamport clocks)
All APSP algorithms
quantum computing
balancing algorithms
bipartite
general
deep learning
trees
greedy
rsa
Gaussian Elimination
ant colony systems
genetic algorithms
matrix multiplication
Distributed Hash tables
codes algorithms, e.g.
Euclidean Algorithm
Gale-Shapley
Error-Correcting codes
Approximation
Markov
Trees
on fixed-size
Page
dynamic
programming
codes
Depth-First-Search
Balanced Trees
Sorting, Quicksort
Page rank
Hashing
Dijkstra
LLL
Heaps
FFT

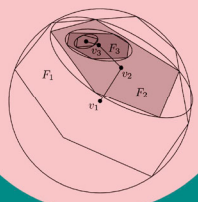
**Michel Goemans,
David Williamson**
approximate max cut



**Lester Ford,
Delbert Fulkerson**
maximum flow



Leonid Khachiyan
ellipsoid method for LP

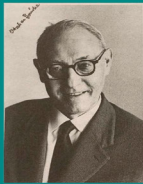


Algorithms (II)

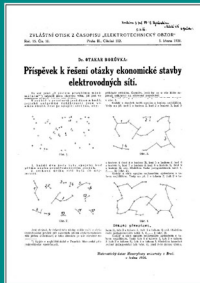
Minimum spanning tree: Borůvka and Jarník

1926 **O. Borůvka**, Příspěvek k otázce ekonomické stavby elektrovodných sítí [Contribution to the solution of a problem of economical construction of electrical networks]. *Elektrotechnický obzor* 15, 1926, 153–154.

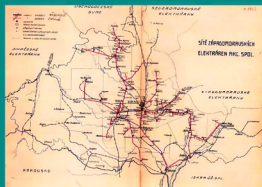
O. Borůvka, O jistém problému minimálním. *Práce Moravské přírodovědecké společnosti sv. III*, spis 3, 1926, 37–58 (in Czech, German summary).



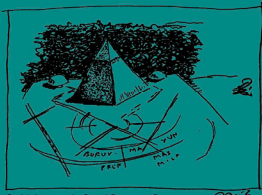
Otakar Borůvka



First page of O. Borůvka, Příspěvek k otázce ekonomické stavby elektrovodných sítí.



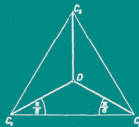
1923 scheme of South Moravian electrical power line network.



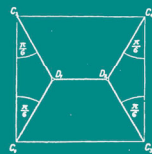
Borůvka's grave at the Central Cemetery in Brno



R. L. Graham and P. Hell, On the history of the minimum spanning tree problem, *Ann. Hist. Comput.* 7:1 (1985), 43–57
 M. Maréchal, The Sage of Minimum Spanning Trees, *Computer Science Review* 2, 3 (2008), 165–221
 J. Nešetřil and H. Nešetřilová, The Origins of Minimal Spanning Tree Algorithms, *Documenta Mathematica*, Extra Volume ISPM (2012), 127–141



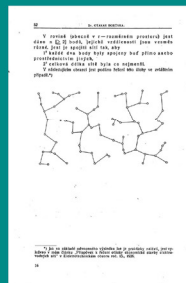
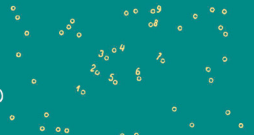
Obr. 2.



Obr. 3.

BUBLINKOVÝ BORŮVKŮV POSTUP

1. KADYŽ 800 JE BUBLINKA (JE TOLIK BUBLINKŮ JAKO JE BORŮVKŮV VĚŠE)
2. SPOJ KAŽDOU BUBLINKU S NEJBLÍŽŠÍ BUBLINKOU
3. NAJDI NOVÉ BUBLINKY.
4. POKUD JSOU ALESPŮŮ 2 BUBLINKY
5. POKUD JE PRAVĚ JEDNA BUBLINKA
6. OKAŽUJ 2.
7. JDI KOTOVÝ.



Last page of O. Borůvka, O jistém problému minimálním.

JARNÍK = PRIM

JARNÍK = STEINER
KÖSSLER

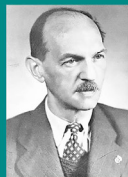
BORŮVKA = SOLLIN
(1962!)

1930 **V. Jarník**, O jistém problému minimálním. (Z dopisu panu O. Borůvkovi) (Czech) [On a certain problem of minimization]. *Práce moravské přírodovědecké společnosti* 6, fasc. 4, 1930, 57–63.

While its typical implementation using data structures such as a priority queue does not achieve linear time, variations and improvements have led to algorithms that approach linear time complexity for certain graph structures. Linearity of the MST problem is a long-standing open problem.



Jarník's formula for MST O(just) problem minimization.

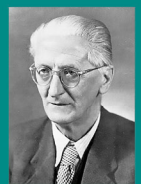


Vojtěch Jarník



First page of Jarník and Kössler, O minimálních grafech obsahujících n daných bodů.

1934 **V. Jarník** and **M. Kössler**, O minimálních grafech obsahujících n daných bodů [On minimal graphs containing n given points]. *Časopis pro pěstování matematiky a fysiky* 63:8 (1934), 223–235
 Jarník and Kössler introduce a problem – the first journal publication to do so – later called the Steiner problem, which they solve for regular n -gons.



Mikuláš Kössler

Advanced graph theory in TCS

The tension between sparsity and connectivity in expander graphs makes them especially important to computer science, e.g. in constructing good pseudorandom number generators, derandomising probabilistic algorithms, constructing error-correcting codes, and in building probabilistically checkable proofs.

- RAMANUJAN GRAPHS ARE HIGHLY CONNECTED SPARSE LARGE GRAPHS.

- THE TENSION BETWEEN SPARSE AND HIGHLY CONNECTED IS WHAT MAKES THEM SO USEFUL IN VARIED APPLICATIONS.



Alexander Lubotzky



Ralph S. Phillips



Peter Sarnak



Gregory Margulis

S. Ramanujan
On certain arithmetic functions

1916

J. von Neumann
Probabilistic logics and the synthesis of reliable organisms from unreliable components

1952

A. Selberg
On the estimation of Fourier coefficients of modular forms

1945

A. Kolmogorov and Y. M. Barzdin
On the realization of networks in three-dimensional space

1947

J. Cheeger
A lower bound for the smallest eigenvalue of the Laplacian

1971

M. Fiedler
Algebraic connectivity of graphs

1973

M. Pinsker
On the complexity of a concentrator
G.A. Margulis
Explicit constructions of concentrators

1976

O. Gabber and Z. Galil
Explicit constructions of linear size superconcentrators

1979

N. Alon
Eigenvalues and expanders

1986

A. Lubotzky, R.S. Phillips, P. Sarnak
Ramanujan graphs

1988

G.A. Margulis
Explicit group-theoretical constructions of combinatorial schemes and their application to the design of expanders and concentrators

1988

O. Reingold, S. Vadhan, A. Wigderson
Entropy waves, the zig-zag graph product, and new constant-degree expanders and extractors

2000

Over a century ago, Ramanujan made a deceptively simple conjecture about modular forms, subsequent work on which led to the development of sophisticated number-theoretic tools. Lubotzky, In 1986-8 Phillips and Sarnak wielded these tools in the construction of Ramanujan graphs – an explicit family of expander graphs with optimal sparsity and connectivity.

"The existence of expanders is counterintuitive. Very well-known mathematicians made conjectures which, once pruned down and understood, were saying essentially, 'Expanders don't exist.'" – P. Sarnak

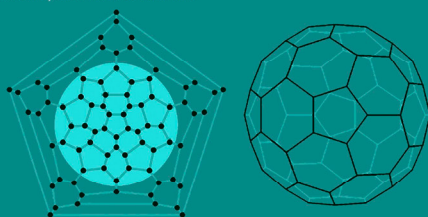
The notion of an expander can be traced back to J. von Neumann's investigation into fault-tolerant circuits and Y.M. Barzdin and A. Kolmogorov's realization of networks demanding high connectivity subject to sparsity constraints. The latter authors come very close to producing expander graphs of uniformly bounded degree, and show in essence that a random graph is an expander. It wasn't until 1973 that the notion of expander was formally defined by M. Pinsker, who established their existence by a probabilistic argument for a deterministic construction. Pinsker refers to a paper of G.A. Margulis that appeared later that year, in which Margulis "gave the first explicit construction of an infinite family of expander graphs. In that paper the proof was based on the theory of discrete subgroups of Lie groups. In particular I used arguments related to Kazhdan's work on property (T). This was probably unexpected for people working in computer science." (At that time Pinsker, Kazhdan, and Margulis were all members of the renowned IPPI in Moscow.)

In 1986 N. Alon and R. Boppana, building on the work of Fiedler and Cheeger, reformulated the measure of a graph's expansion properties in terms of its 'spectral gap'. Alon and Boppana showed that this gap was bounded, so the expansion ratio of a family of expanders could not exceed a certain threshold; they asked whether an optimal family of expander graphs could be found. Given this linear algebra reformulation of the graph's expansion measure, Lubotzky suggested that Sarnak and Phillips explore some seemingly apropos methods from number theory; exploiting a series of results related to the Ramanujan conjecture, they were able to produce an infinite family of optimal expander graphs – the Ramanujan graphs. Two years later, Lubotzky, Phillips and Sarnak published their result in *Combinatorica*.

At IPPI in the mid 1980s, around the time Margulis was constructing explicit families of expanders using quaternions and looking for high girth examples, he "realized, based on some deep work by Deligne, that they were also expander graphs which are in a certain sense better than the previous constructions. Slightly later and completely independently, Lubotzky, Phillips and Sarnak gave basically the same construction, but with some variations."

THEY EXIST!

DEFINITION (OPTIMAL EXPANDERS)
A GRAPH (SEQUENCE WITH $n \rightarrow \infty$) IS
a) RAMANUJAN IF FOR $j = 1, \dots, n-1$
 $|\lambda_j(x_{n,d})| \leq \sqrt{d-1}$.
b) BIPARTITE RAMANUJAN IF
IT IS BIPARTITE $\lambda_{n/2}(x) = -d$ AND
 $|\lambda_j(x_{n,d})| \leq \sqrt{d-1}$ FOR $j \in [n] \setminus \{n/2\}$.



This Ramanujan graph has 80 vertices, which is close to the largest known planar Ramanujan graph of 84 vertices. Its girth is 5, its expansion constant $1/4$ (as indicated by the shaded circle), and λ_1 has been calculated by A. Gambard to be 2.81811. It may be constructed by shrinking pentagons on a dodecahedron.

ICALP, a case study

Conferences vs. Journals in Computing Research

Conference publication has had a dominant presence in computing research since the early 1960s. Still, during the 1980s and 1990s, there was ambivalence in the community, partly due to pressure from promotion and tenure committees about conference vs. journal publication. Then, in 1994, the Computing Research Association published the *Guidelines for Computer Scientists and Engineers for Promotion and Tenure*,¹ that legitimized conference publication as the primary means of publication in computer research. Since then, the dominance of conference publication over journals has increased, though the ambivalence has not completely disappeared. (In fact, ACM publishes 36 technical journals.)

Recently, our community has begun voicing discomfort with conference publication. The discomfort stems from a growing realization that the traditional organizing, workshop, conference, and symposia for Computer Science

I hope the outcome from WOVCS and the Viewpoint columns published here will initiate an informed debate. But I fear these efforts have not addressed the most fundamental question: Is the conference-publication "system" serving us well today? Before we try to fix the conference publication system, we must determine whether it is worth fixing.

I cannot think of a forum better than *Communications in which* to continue this conversation. I am looking forward to your opinions.

Michelle F. Vardi, EDITOR-IN-CHIEF

Michele E. Vardi, EDITOR-IN-CHIEF

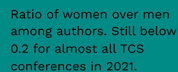
that
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ICA

— Computing Research Association, Best Practices Memo, 1999

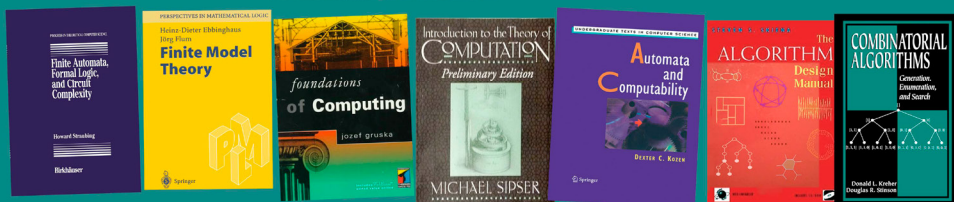
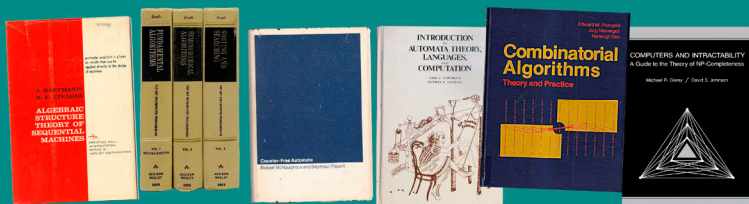
In the fifty years since its inception, the ICALP conference has evolved in pace with the scientific advances and the growth and maturation of the theoretical computer science community. An analysis of DBLP data gives a bird's-eye-view of that evolution.

Like other major conferences in Theoretical Computer Science, the authorship at ICALP tends to stabilise over time.



Selected textbooks in TCS

1966-



-1999

Exhibition curators

Dr. Andrew Goodall studied at the University of Oxford and since 2012 has been working at the Computer Science Institute of Charles University at MFF. He works mainly in combinatorics and algebra. He is known also for his photography, having had several exhibitions in Prague.

Prof. Jaroslav Nešetřil is employed at the Computer Science Institute of Charles University at MFF. He works in many areas of mathematics and computer science. He collaborated with Jiří Načeradský for 20 years and together they created an extensive oeuvre (see, for example, J. Načeradský, J. Nešetřil: Antropogeometrie I, II, Rabasova Galerie 1998, ISBN 80-85868-25-3).

This catalogue was published by DIMATIA-IUUK
MFF UK on the occasion of the exhibition *The
Making of a New Science* held at Galleria Chodba,
Malostranské nám. 25, Praha 1, from
18 June to 21 September 2025.